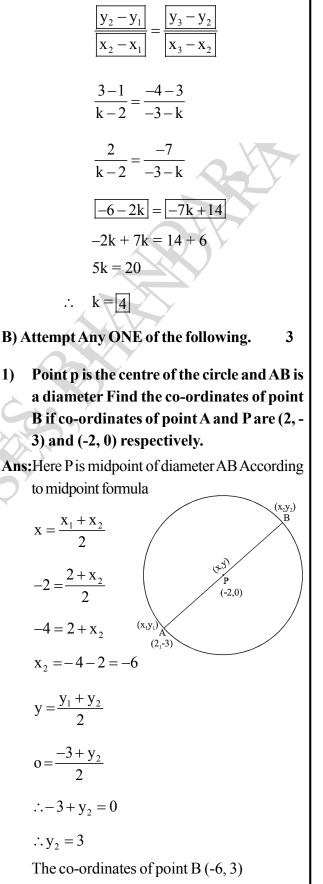


 $25 + y^2 + 4y + 4 = 13 + y^2 - 1y$ · . $\therefore 8y = -16$ $\therefore y = -2$: The co-ordinates of a point on y-axis which is equidistant from M and N are M (0, -2)Q.3 A) Attempt Any ONE of the following. 3 Verify, whether points P(6, -6), Q(3, -7) and 1) R (3, 3) are collinear. Ans: PQ = $\sqrt{(6-3)^2 + (-6+7)^2}$ [By distance formula] $=\sqrt{3^2+1^2}=\sqrt{10}$ ____(1) $QR = \sqrt{(3-3)^2 + (-7-3)^2}$ $=\sqrt{0^2 + (-10)^2} = \sqrt{100}$ (2) $PR = \sqrt{(3-6)^2 + (3+6)^2}$ 1) $=\sqrt{(-3)^2 + (9)^2} = \sqrt{90}$ (3) From (1), (2) and (3) out of $\sqrt{10}$, $\sqrt{100}$ and $\sqrt{90}$, $\sqrt{100}$ is the largest number now we will verify whether $(\sqrt{100})$ and $\mathbf{x} = \frac{\mathbf{x}_1 + \mathbf{x}_2}{2}$ $(\sqrt{10} + \sqrt{90})$ are unequal For this compare $-2 = \frac{2 + x_2}{2}$ $\left(\sqrt{100}\right)^2$ and $\left(\sqrt{10} + \sqrt{90}\right)^2$ $-4 = 2 + x_2$ $\therefore \left(\sqrt{10} + \sqrt{90}\right) > \sqrt{100}$ \therefore PQ + PR \neq QR $y = \frac{y_1 + y_2}{2}$: Points P(6, -6), Q (3, -7) and R (3, 3) are not collinear. $o = \frac{-3 + y_2}{2}$ 2) Find the value of K, if the points A(2,1), B (k, 3) and C(-3, -4) are collinear. $\therefore -3 + y_2 = 0$ **Ans:** Let $A(2, 1) = (x_1, y_1)$ $B(k, 3) = (x_2, y_2)$, \therefore y₂ = 3 $C(-3, -4) = (x_2, y_2)$

The given points are collinear

 \therefore Slope of line AB = Slope of line BC



Show that A (-4, -7), B (-1, 2), C (8, 5) and 2) D (5.-4) are the vertices of a parallelogram. Ans:Slope of line $=\frac{y_2 - y_1}{x_2 - x_1}$ [Fromula] Slope of line AB = $\frac{2 - (-7)}{-1 - (-4)} = \frac{2 + 7}{-1 + 4} = \frac{9}{3} = 3$ _____I Slope of line BC = $\frac{5-2}{8-(-1)} = \frac{3}{9} = \frac{1}{3}$ II Slope of line $CD = \frac{-4-5}{5-8} = \frac{-9}{-3} = 3$ _____III Slope of line DA = $\frac{-7 - (-4)}{-4 - 5} = \frac{-3}{-9} = \frac{1}{3} - IV$ Slope of line AB = Slope of line CD [from I and III] \therefore line AB|| line CD Slope of line BC = slope of line DA - [from II and IV] \therefore line BC || line DA \therefore \square ABCD is a parallelogram. Q.4 : Attempt Any ONE of the following. 1) The line seg AB is divided into five congruent parts at P, Q, R and S such that A -P -Q-R-S-B. If point Q (12, 14) and S(4,18) are given find the coordinates of A, P, R, B. A P 0 B Ans.: Line seg AB is divided into five equal parts (12,14) (4,18) A P Q R S B $\therefore AP = PQ = QR = RS = SB$ I \therefore QR = RS[\therefore from – I] Let A (x_1, y_1) B (x_2, y_2) P (x_3y_3) & R (x_4y_4) be the given points Point R is midpoint of seg QS : By mid point fromula Coordinate of R = $\left(\frac{12+4}{2}, \frac{14+18}{2}\right)$ $=\left(\frac{16}{2},\frac{32}{2}\right)$ $(x_4, y_4) = (8, 16)$ Point Q is the mid point of seg PR By mid point formula

Coordinaties of $Q = \left(\frac{x_3 + 8}{2}, \frac{y_3 + 16}{2}\right)$ $(12,14) = \left(\frac{x_3+8}{2}, \frac{y_3+16}{2}\right)$ $\frac{x_3+8}{2} = 12$ and $\frac{y_3+16}{2} = 14$ $x_3 + 8 = 24$ and $y_3 + 16 = 28$ $x_3 = 16$ and $y_3 = 12$ Coordinate of P = (16, 12)Point P is the midpoint of seg AQ By mid point formula Coorinates of P = $\left(\frac{x_1 + 12}{2}, \frac{y_1 + 14}{2}\right)$ $(16,12) = \left(\frac{x_1 + 12}{2}, \frac{y_1 + 14}{2}\right)$ $\frac{x_1 + 12}{2} = 16$ and $\frac{y_1 + 14}{2} = 12$ $x_1 + 12 = 32$ $y_1 + 14 = 24$ $x_1 = 20$ $y_1 = 10$ Coordinates of A = (20, 10)S is the mid point of Seg RB By mid point formula Coordinate of S = $\left(\frac{8+x_2}{2}, \frac{16+y_2}{2}\right)$ $(4,18) = \left(\frac{8+x_2}{2}, \frac{16+y_2}{2}\right)$ $\frac{8+x_2}{2}=4$ and $\frac{16+y_2}{2}=18$ $8 + x_2 = 8$ and $16 + y_2 = 36$ $x_2 = 0$ and $y_2 = 20$ The coordinates of point A, P, R, and B are (20, 10) (16, 12) (8, 16) and (0, 20)respectively. 2) A (-3, -4), B (-5, 0), C (3,0) are the vertices of $\triangle ABC$. Find the co-ordinates of the circumcenter of AABC. C (3,0) в (-5,0)p(a,b)

A(-3, -4)

Ans: Let P (a, b) be the circumcentre of ABC \therefore point p is equidistant from A, B and C $\therefore (PA)^2 = (PB)^2 = (PC)^2 \qquad I$ \therefore (PA)² = (PB)² (from I) $(a+3)^2 + (b+4)^2 = (a+5)^2 + (b-0)^2$ \therefore Point P is equidistant from A, B and C. $\therefore PA^2 = PB^2 = PC^2$ Ι $\cdot PA^2 = PB^2$ (from I) $(a+3)^{2} + (b+4)^{2} = (a+5)^{2} + (b-0)^{2}$ $\therefore a^{2} + 6a + 9 + b^{2} + 8b + 16 = a^{2} + 100 + 25 + b^{2}$ $\therefore -4a + 8b = 0$ $\therefore a - 2b = 0$ II Similarly $PA^2 = PC^2$ - (From I) $(a+3)^{2} + (b+4)^{2} = (a-3)^{2} + (b-0)^{2}$ $a^{2} + 6a + 9 + b^{2} + 8b + 16 = a^{2} - 6a + 9 + b^{2}$ $\therefore 12a + 8b = -16$ $\therefore 3a + 2b = -4$ III solving II and III we get a = -1, $b = \frac{-1}{2}$ \therefore Coordinates of circumcentre are $\begin{vmatrix} -1, \\ -1 \end{vmatrix}$ Q.5: Attempt Any ONE of the following. 3 Find the type of the quadrilateral if points 1) A(-4,-2), B(-3, -7), C(3, -2) and D (2, 3) are joined serially. Ans:Solution: Slope of line $=\frac{y_2 - y_1}{x_2 - x_1}$ [fromula] Slope of line $AB = \frac{-7 - (-2)}{-3 - (-4)} = \frac{-7 + 2}{-3 + 4} = \frac{-5}{1} = -5 \rightarrow I$ Slope of line BC = $\frac{-2-(-7)}{3-(-3)} = \frac{-2+7}{3+3} = \frac{5}{6} \rightarrow II$ Slope of line $CD = \frac{3 - (-2)}{2 - 3} = \frac{3 + 2}{1} = -5 \rightarrow III$ Slope of line AD = $\frac{3-(-2)}{2-(-4)} = \frac{+5}{2+4} = \frac{+5}{6} - IV$

From equation - I and III slope of line AB = slope of line CD : line AB line CD From equation - II and IV slope of line BC = Slope of line ADline BC || line AD □ ABCD is a parallelogram Find the co-ordinates of the points of trisection of the line segment AB with A (2,7) and B (-4, -8) Ans: Let points P and Q be the points of trisection of the line segment joining the points A and B. Point P and Q divide line segment AB in three parts. AP = PQ = QB - I $\frac{AP}{PB} = \frac{AP}{PQ + QB} = \frac{AP}{AP + AP} = \frac{AP}{2AP} = \frac{1}{2}$ (from I) Point P divides seg AB in the ratio 1:2 x - coordinate of point $P = \frac{1 \times (-4) + 2 \times 2}{1 + 2} = \frac{-4 + 4}{3} = \frac{0}{3} = 0$ y - coordinate of point $P = \frac{1 \times (-8) + 2 \times 7}{1 + 2} = \frac{-8 + 14}{3} = \frac{6}{3} = 2$ point O divides seg AB in the ratio 2:1 $\therefore \frac{AQ}{QD} = \frac{2}{1} x$ - coordinate of point $Q = \frac{2 \times (-8) + 1 \times 7}{2 + 1} = \frac{-16 + 7}{3} = \frac{-9}{3} = -3$ Co-ordinates of points of trisection are · . (0, 2) and (-2, -3)****

2)

