

:
$$m \angle a = 180^{\circ} - 80^{\circ}$$

 \therefore m $\angle a = 100^{\circ}$

Line $l \parallel$ line m and line q is the transversal,

$$\angle b \cong \angle d$$
 ---(Exterior alternate angles)

- $\therefore m \angle b = m \angle d$
- $\therefore m \angle b = 80^{\circ}$

Line p || line q and line m is the transversal,

$$\angle c \cong \angle b$$
 ----(Corresponding angles)

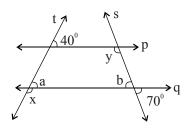
- $\therefore m \angle c = m \angle b$
- $\therefore m \angle b = 80^{\circ}$

$$m \angle a = 100^{\circ}, m \angle b = 80^{\circ}$$
 and

 $m \angle c = 80^{\circ}$.

: **B)Solve any one of the following.** 03

In the given figure, line p || line q.
Line t and line s are transversals. Find measures of ∠x and ∠y using the measures of angles given in the figure.



- Ans : Consider ∠a and ∠b as shown in the figure. Line p || line q and line t is the transversal.
 - $\therefore m \angle a = 40^{\circ} \quad \text{---(Corresponding angles)} \\ m \angle x + m \angle a = 180^{\circ}$

--- (Angles in a linear pair)

$$\therefore m \angle x + 40^{\circ} = 180^{\circ}$$

:
$$m \angle x + 180^{\circ} - 40^{\circ}$$

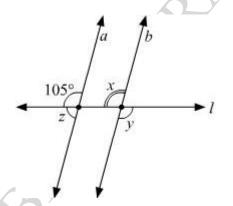
 $\therefore m \angle x + 140^{\circ}$ $m \angle b = 70^{\circ} \quad \text{---(Vertically opposite anges)}$

Line $p \parallel q$ and line s is the transversal

- $m \angle y + m \angle b = 180^{\circ}$ ---(Interior angles)
- $\therefore m \angle y + 70^{\circ} = 180^{\circ}$
- $\therefore m \angle y = 180^{\circ} 70^{\circ}$
- \therefore m \angle y = 110⁰

Thus,
$$m \angle x = 140^{\circ}$$
, $m \angle y = 110^{\circ}$.

2) In the given figure, line a || line b. Line *l* is a transversal. Find the measures of $\angle x$, $\angle y$, $\angle z$ using the given information.



Ans : Line a || line b and line *l* the transversal, $m \angle x = 105^{\circ} --- (Corresponding angles)$ $\angle y \cong \angle x --- (Vertically opposite angles)$ $\therefore m \angle y = m \angle x$ $\therefore m \angle y = 105^{\circ}$

 $\therefore m \angle z + 105^\circ = 180^\circ$

--- (Angles in a linear pair)

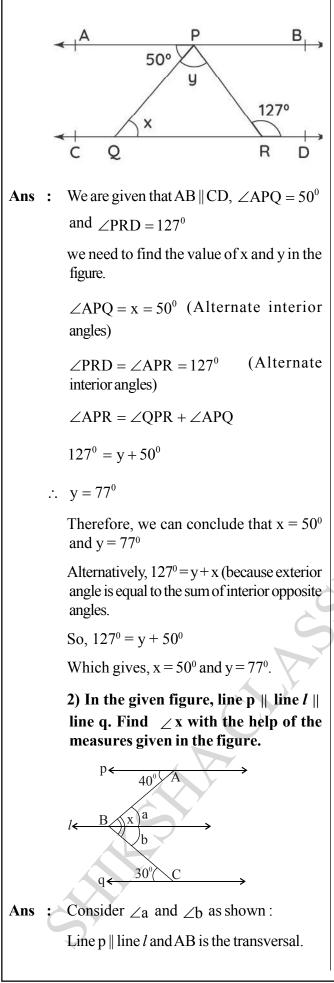
- $\therefore m \angle z = 180^{\circ} 105^{\circ}$
- $\therefore m \angle z = 75^{\circ}$.

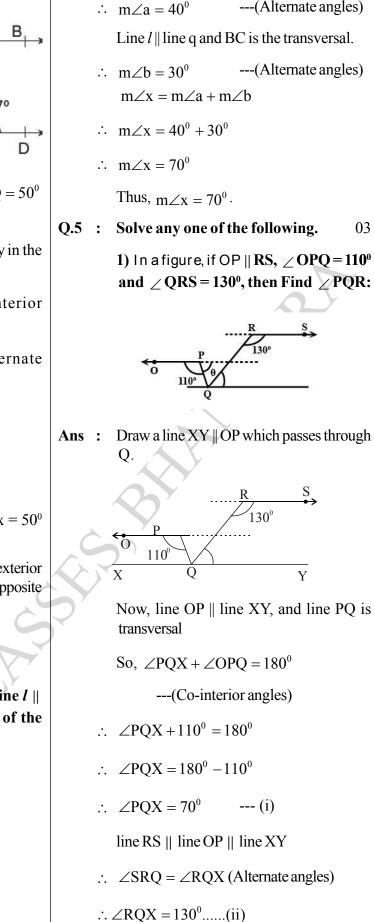
Thus, $m \angle x = 105^{\circ}$, $m \angle y = 105^{\circ}$ and

 $m \angle z = 75^{\circ}$.

Q.4 : Solve any one of the following. 04

1) In the figure, if AB || CD, \angle APQ = 50⁰ and \angle PRD = 127⁰, Find x and y.





But $\angle RQX = \angle PQR + \angle PQX$

---(Alternate angles)

