Shiksha Classes Bhandara

Ma	athematics	Topic : Sequence	es &	Series	MM 100	
0.1	If $\log 2$, $\log (2X - 1)$ and $\log (2X)$	(2) one in A D there find			9	
Q.1	If log 2, log $(2^{n} - 1)$ and log (2^{n})	+ 3) are in A.P. then find		$a_1a_2 + a_2a_3 + a_3a_4 + a_4$.a5.	
	$(A) \log 5 \qquad (B) 1$	03.3		(A) $2a_1a_5$	(B) $8a_1a_5$	
	$(A) \log_2 3 \qquad (B) I$.0g ₂ 3		(C) $10a_1a_5$	(D) 4a ₁ a ₅	
	(C) $\log_2 8$ (D) I	$\log_2 6$	Q.11	If positive numbers a	, b, c are in H.P. t	hen the value of
Q.2	If x, y, z are in A.P. and x, y, t are	e in G.P. then x, $x - y$, $t - $		$e^{\log(a+c) + \log(a-2b+c)}$ is	s equal to	
	z are in			(A) $\log (a - c)^2$	(B) $(a - c)$	
	(A) G.P. (B) A	A.P.		$(C) (a - c)^2$	(D) zero	
	(C) H.P. (D) A	A.P. and G.P. both		1	π	
Q.3	If the pth, qth and rth terms of a harmonic progression are			$\frac{1}{2}$ cosec ² θ , 2cot θ , sec	$\theta (0 < \theta < \frac{\pi}{2}), a$	re in G.P. if θ is
	a b c respectively then $\frac{q-r}{r}$	$\frac{r-p}{r-q} + \frac{p-q}{r-q}$ is equal to		2 equal to	2	
	a a	b c		$(\Lambda) \pi/6$	(B) $\pi/4$	
	(A) pqr (D)	p+q+r		(A) $\pi/3$	(D) M_4	hoso
	$(A) \xrightarrow{abc} (B)$	$\frac{1}{a+b+c}$	0 13	(C) $\pi/3$	(D) None of umbors in A P ba	11050 06 and that the
	nar		Q.13	nroduct of the means	to the product of th	e extermes is 35
	(C) $\frac{par}{l_{rad}}$ (D) t	none of these		to 27, then the numbers are		
	byc			(A) 6 18 30 42	(B) 12 20 2	8 36
Q.4	If the positive numbers a, b, c are	in G.P., the equation		$(\Gamma) 0, 10, 50, 42$ (C) 4 16 18 40	(D) $12, 20, 20$ (D) $21, 23, 20$	5, 30
	$ax^2 + bx + c = 0 \text{ has}$		0.14	If x v z are three real numbers of the same sign then the		
	(A) Two coincident roots		2.11	If x, y, z are uncerear numbers of the same sign the		
	(B) Two distinct real roots			value of $\frac{x}{-} + \frac{y}{-} + \frac{z}{-}$ lies in the interval		
		$\pm i\frac{2\pi}{2}$		y z x		
	(C) Two complex roots of the form	m ke 3 , k > 0		(A) $[2, +\infty)$	(B) $[3, +\infty)$	
		$+i\frac{\pi}{2}$		(C) $(3, +\infty)$	(D) (−∞, 3)	
	(D) Two complex roots of the for	m ke ⁻³ , k > 0.	Q.15	$\cos x = b$. For what b do the roots of the equation form an		
Q.5	The sum of the latter half of the	e first 1000 terms of any		A.P. ?		
	A.P. is equal to one third of the s	sum of the first n terms of		(A) $\sqrt{3}/2$	(B) 1/2	
	the same A.P. Then $n =$			(C) -1	(D) None of t	hese
	(A) 1500 (B) 3	3000	0.16	If the 10th and 15th t	erms of an H.P. are	e respectively 15
	(C) 2000 (D) 1	1000	C	and 10, then 6th term i	S	· · · · · · · · · · · · · · · · · · ·
	_			(A) 6	(B) 12	
Q.6	If the $(2p)$ th term of a H.P. is q	and the $(2q)^{\text{th}}$ term is p,		(C) 20	(D) 25	
	then the $2(p+q)^{\text{th}}$ term is-		Q.17	The sum of the integ	ers lying between	1 and 100 (both
	(A) pq (D)	2pq	-	inclusive) and divisible	e by 3 or 5 or 7 is	x
	(A) $\frac{1}{2(p+q)}$ (B)	$\overline{\mathbf{p}+\mathbf{q}}$		(A) 2838	(B) 3468	
				(C) 2738	(D) 3368	
	(C) $\underline{-pq}$ (D)	$\underline{p+q}$		$2a^2 - 1$	$3 6a^2 - 5$	
_	p+q	pq Q	Q.18	The sum of $\frac{2u}{2}$, $\frac{1}{2}$	$4a - \frac{3}{2}, \frac{3a}{2}, $	to n series is-
Q.7	The arithmetic mean between tw	vo numbers is A and the		a	a a	2
	geometric mean is G. Then these	numbers are –		(A) $n(n+1)a - \frac{n^2}{n}$	(B) $n(n+1)$	$n + \frac{n^2}{2}$
	(A) $\sqrt{A^2 - G^2 + A}$ (B)	$\frac{1}{2}(\sqrt{A^2 + G^2} + A)$		a	(b) II (II + 1)(a
		2		n ²		n^2
	(C) $\Lambda + \sqrt{\Lambda^2 - G^2}$ (D) I	None of these		(C) n (n – 1) a – $\frac{n}{2}$	(D) n (n − 1)a	$a + \frac{a}{c}$
0.0	$(C) \mathbf{A} \pm \mathbf{v} \mathbf{A} = \mathbf{C} \qquad (D) \mathbf{I}$	ma of on A D one in C D	0 10	a	\therefore $2 \rightarrow 1$ (2 \rightarrow th (a
Q.8	If the $(III+1)^{aa}$, $(II+1)^{aa}$, $(I+1)^{aa}$ term	the rotic of common	Q.19	In a G.P., if $(2p)^{\text{un}}$ term	n is q^2 and $(2q)^{u}$ te	rm is p ² where p
	difference to the first terms in the			and $q \in N$, then its (p	$+q)^{ur}$ term is –	
	$(\Lambda) p/2$ (B) 2	A.r.		(A) pq	(B) p^2q^2	
	$(\mathbf{R}) \frac{1}{2}$ (D)	2/n 2/n		(C) $\frac{1}{2} n^2 a^2$	(D) $\frac{1}{2}$ p ³ a ³	
Q.9	$(D) = \frac{1}{2}$ $(D) = \frac{1}{2}$	a are inserted between $\begin{bmatrix} -2 \\ -2 \end{bmatrix}$		2 ^P 4	4 ^P 4	
	If in antimicute means a_1, a_2, \dots, a_n are inserted between 50 and 200 and a hormonic means b_1 by b_1			If $a_1 + a_2 + a_3 + a_4 + a_5 + \dots + a_n = 1$ for all $a_i > 0$, $i = 1$,		
	50 and 200 and n harmonic means h_1 , h_2 ,, h_n are			3 n. Then the maximum value of $a_1^2 a_2 a_3 a_4 a_5$		
	inserted between the same two n	numbers, then $a_2 h_{n-1}$ is))	a	2 3 4 5 m 4 n 15
	equal to			(A) $-\frac{2}{2}$	(B) <u>4</u>	1
	(A) 500 (B) 1	10000/n		$(n+1)^{n}$	$(n+1)^{n+1}$	1
	(C) 10000 (D) 2	250/n		2	(D) 4	
Q.10	If a_1 , a_2 , a_3 , a_4 , a_5 are in H.P., the	n find the value of		(C) $\frac{1}{n^n}$	(D) $\frac{1}{n^{n+1}}$	
				11	11	

For Q.21-Q.25 :

The answer to each question is a NUMERICAL VALUE.

Q.21 The geometric and harmonic means of two numbers x_1 and x_2 are 18 and $16\frac{8}{13}$ respectively. The value of $|x_1 - x_2|$ is

Q.22 If 1, $\log_{81} (3^x + 48)$ and $\log_9 \left(3^x - \frac{8}{3} \right)$ are in A.P., then find x

- **Q.23** a, b, c are first three terms of a G.P. If HM of a and b is 12 and that of b and c is 36, then find the value of a.
- **Q.24** All terms of a certain A.P are natural numbers. The sum of its nine successive terms beginning with the first is larger than 200 and smaller than 220. If the second term is 12, then the common difference is
- **Q.25** The sum of the first four terms of a G.P. is $12 (1 \sqrt{5})$. If the common ratio is $-\sqrt{5}$, then the first term of the G.P. is

